

The Science of Digital Media by Jennifer Burg

Errata

Items marked in yellow have been corrected.

Chapter 1

p. 16

Let f be the frequency of a sine wave. Let r be the minimum sampling rate that can be used in the digitization process such that the resulting digitized wave is not aliased. Then

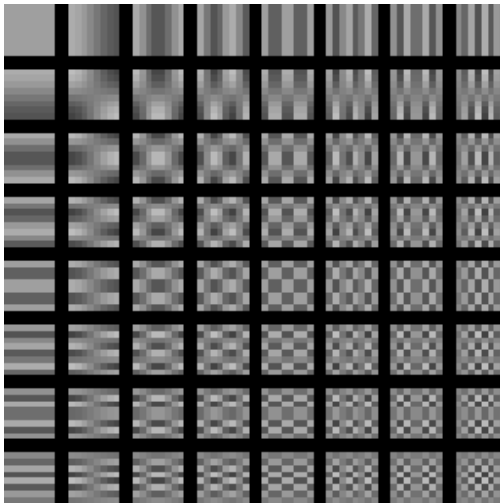
$$r = 2f$$

f is called the *Nyquist frequency*.

Chapter 2

p. 76

There are only seven rows of frequency components in Figure 2.25. The figure should look like this:



Chapter 4

p. 219

$$\begin{aligned}
 f(t) &= \sum_{n=-\infty}^{\infty} F_n e^{in\omega t} \\
 &= \sum_{n=-\infty}^{\infty} [F_n (\cos(n\omega t) + i \sin(n\omega t))] && \text{Step 1} \\
 &= \sum_{n=-\infty}^{\infty} [(a_n - b_n) (\cos(n\omega t) + i \sin(n\omega t))] && \text{Step 2}
 \end{aligned}$$

The summation in Step 2 goes to infinity

p. 220

Step 8.

The fourth term in the summation should be positive: $+ b_{-n} \sin(-n\omega t)$

Step 9. $a_n = a_{-n}$, $b_n = b_{-n}$, $\cos(-n) = \cos(n)$, and $\sin(-n) = -\sin(n)$.

p. 221

$$a_n = \frac{1}{N} \sum_{k=0}^{N-1} f_k \cos\left(\frac{2\pi nk}{N}\right) \text{ and } b_n = \frac{1}{N} \sum_{k=0}^{N-1} f_k \sin\left(\frac{2\pi nk}{N}\right)$$

b_n is based on the *sin* function, not *cos*.

p. 233

line 26

| just a second requires 176,400 bytes Deleted: half

p. 236

line 22

| More commonly, a MIDI cable connects Deleted: that

p. 245

4th line from the bottom

| turn up the volume, or create some other effect Deleted: or

Chapter 5

p. 259

line 8

| color coded three-jack connections where the yellow plug

Deleted: for

p. 261

middle of page

| **Four** common plug-in formats are VST...

Deleted: Three

Deleted: ¶

Formatted: Normal

p. 284

Indent last paragraph on the page.

p. 300

algorithm FIR_low_pass filter

/*Input: f_c, the cutoff frequency for the lowpass filter, in Hz
f_samp, the sampling frequency of the audio signal to be filtered, in Hz
N, the size of the filter; assume N is odd

Output: a low-pass FIR filter in the form of an N-element array */

```
{  
  /*Normalize f_c and  $\omega_c$  so that  $\pi$  is equal to the Nyquist angular frequency*/  
  f_c = f_c/f_samp  
   $\omega_c = 2*\pi*f_c$   
  middle = N/2 /*Integer division, dropping remainder*/  
  /*Create the filter using the low-pass filter function from Table 1*/  
  for n = -N/2 to N/2  
    if (n = 0) fltr(n+middle) = 2*f_c  
    else fltr(n+middle) = sin( $\omega_c * n$ )/( $\pi * n$ )  
  /*Multiply the elements of fltr by a windowing function chosen from Table 2. We  
  use the Hanning window function/  
  for n = -N-1 to N-1  
    fltr(n+middle) = fltr(n+middle) * (0.5 + 0.5*cos((2* $\pi * n$ )/N))  
}
```